

# Theory of absorption of gamma rays on the surface and internal of $\text{SiO}_2$ Nanopowder.

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## Abstract

We have theoretically investigated gamma rays absorption on the nanosilica surface. Calculations revealed that absorption of gamma rays was observed not only on the surface, but also inside of  $\text{SiO}_2$  nanopowder, because radiation effects of selected nano-particles more than the macro-particles. If the system gets 20000 photons; 0,0576 photons absorbs in 20nm thickness (this is same silica nanopowder diameter), 2,879796797 photons in  $1\mu\text{m}$  thickness and 2682,24863 photons in 1mm thickness. Nano silica has more surface, therefore, more surface effects and absorption of gamma rays on the surface has got in this sample. We also take out specific equation for absorption gamma ray on the nanosilica surface. We have investigated the effects of secondary electrons and photons emitted from surrounding materials on defect formation in silica nanopowder under  $\gamma$ -ray irradiation.

Keywords: Nanosilica, silica nanopowder, radiation effects, nanotechnology,  $\gamma$ -irradiation of  $\text{SiO}_2$

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## Introduction

“Gamma rays” is the name given to high energy electromagnetic radiation originating from nuclear energy level transitions. In this case typical wavelength, frequency, and energy ranges are: 0.0005 to 0.15 nm,  $2 \times 10^{18}$  to  $6 \times 10^{20}$  Hz, and 10 keV to 2.5 MeV, respectively. The terms gamma rays, nuclear x-rays, and high-energy photons are often used interchangeably. Gamma rays traversing matter are absorbed due to a number of processes. The ability of a substance to absorb gamma rays is expressed by the absorption coefficient for that substance. In this experiment an attempt will be made to verify the theoretical expression describing the absorption of gamma rays as a function of absorber especially nanomaterial and the absorption coefficients for lead and SiO<sub>2</sub> nanopowder and SiO<sub>2</sub>-H<sub>2</sub>O nanocomposite for gamma rays from Co-60 will be measured and compared to accepted values.

Gamma ray absorption is a random type of process; it is not possible to say whether a particular gamma ray will interact with the absorber or pass through unaffected. The processes by which gamma ray absorption occur are: 1) the photoelectric effect; 2) Compton scattering, and; 3) pair production. The photoelectric effect and Compton scattering are discussed in experiments 5 and 6 respectively. Pair production is the process whereby, in the vicinity of a nucleus, a photon (gamma ray) spontaneously materialises into an electron and a positron. Pair production can only occur for gamma ray energies  $\geq 1.02$  MeV. In all three of these processes the gamma ray is either scattered away from the incident direction or completely absorbed. That is, if a detector is placed on the opposite side of the absorber, along the incident direction of a beam of gamma rays, only those gamma rays which did not interact with the absorber will be detected.

Gamma rays transport in solid matrix involves multiple gamma quanta and secondary electrons interactions with host material valence and core atomic electrons as well with atomic nuclei leading to modifications of its crystal structure by the formation of an amount of point defects, like ionizations, color centers and atom displacements from crystalline sites. These defects modify the irradiated target microscopic and macroscopic properties in a specific way, which is usually referred as Gamma Radiation Damage. A general measure of all these accounts related to Gamma Radiation Damage is the energy deposition at a given point in the target. Energy deposition spatial distribution can be calculated by means of Monte Carlo assisted gamma quanta transport codes, like EGS-4 (Nelson et al., 1985), EGSnr (Krawrakov & Rogers, 2003) or MCNP (Briesmeister, 2000). Alternatively, for measuring the intensity

of the irradiation effects it has been applied the total incident gamma quanta fluence, as well as, the so called exposition doses.

During the irradiation of high-energy photons, various surrounding materials around a specimen, i.e. a sample holders, container, etc., must emit secondary electrons and photons from their surfaces and could add some irradiation effects on the direct irradiation of the specimen. Nevertheless, the effects of the secondary electrons and photons coming from the surrounding materials have not been studied systematically. In order to demonstrate that the influence of the surrounding materials on the defect formation in the covalent bonding materials, we have irradiated SiO<sub>2</sub> (silica) nanopowder, which this powder synthesis of sol-gel proses [1].

However, from all point defects induced by gamma ray transport in solids, atom displacements might induce a large time scale target properties modification because of the huge time of life of induced vacancies and interstitial Frenkel pairs defect in target crystalline structure. Therefore, gamma radiation damage in solids is commonly described by the spatial dpa distribution. However, because of the insignificant photon transferred energies in their interactions with atoms, secondary electrons must be considered as the unique particles transferring enough recoil energy to the target atoms for leaving their crystalline sites leading to atom displacements processes in solids

Theoretical background. Gamma rays within the energy range produced by Co-60 source interact with nano SiO<sub>2</sub> powder and SiO<sub>2</sub>-H<sub>2</sub>O nanocomposite via three primary mechanisms: photoelectric absorption, Compton scattering, and pair production. In photoelectric absorption, the incident gamma ray is absorbed by the atom as a whole which results in the ejection of one of the inner shell electrons. The ejected electron's kinetic energy,  $T$ , is given by  $T = E_{\gamma} - E_b$ , where  $E_{\gamma}$  is the incident gamma energy and  $E_b$  is the ejected electron binding energy. The binding energy is generally insignificant in comparison with  $E_{\gamma}$ . In the particular case of source, the low energy photons for which  $E_b$  is a significant fraction of  $E_{\gamma}$  have such short path lengths that they do not penetrate the fuel cladding. The electron binding energy is therefore neglected in this study. No single theoretical expression accurately describes the probability for photoelectric absorption throughout the energy range of interest. This study, therefore, uses the

numerical values for the photoelectric absorption cross section (tabulated as a function of incident gamma energy) found in the X-ray information data base of the national nuclear data center. The differential probability per SiO<sub>2</sub> molecule that an incident gamma of energy E<sub>γ</sub> will excite an electron to energy within dT of T through photoelectric absorption is given by

$$\frac{\partial \sigma^{pe}(E_\gamma, T)}{\partial T} = \frac{\partial \sigma^{pe}(E_\gamma, T)}{\partial E_\gamma} \frac{dE_\gamma}{dT} = \frac{\partial \sigma^{pe}(E_\gamma)}{\partial E_\gamma} \delta(E_\gamma - T) \quad (1)$$

where the superscript pe denotes photoelectric absorption, dE<sub>γ</sub>/dT = 1, and

$$\sigma^{pe}(E_\gamma) = \sigma_{Si}^{pe}(E_\gamma) + 2\sigma_O^{pe}(E_\gamma) \quad (2)$$

Compton scattering is the dominant mechanism for energy loss in silica for photons with energies between roughly 60 keV and 10 MeV [2]. The vast majority of gamma rays produced by nuclear reactors lie within this energy region. In Compton scattering the incident photon scatter off an electron in the absorbing material. As the photon is deflected, it transfers some of its energy to the struck electron. The energy transfer is described by the Klein-Nishina formula. The differential cross section per electron in the absorbing material for the production of an electron of energy within dT about T by Compton scattering is given by

$$\frac{\partial \sigma^c(E, T)}{\partial T} = \frac{2\pi r_e^2 m_e c^2}{E^2} \left[ \left( \frac{T}{E} \right)^2 \left[ \left( \frac{m_e c^2}{E} \right)^2 + \frac{E - T}{2m_e c^2} \right] + \frac{T}{E} \left( \frac{m_e c^2}{E} \right)^2 + \frac{T}{E} \left( \frac{m_e c^2}{E} \right)^2 \right] \quad (3)$$

where  $r_0 = 2,818 \times 10^{-13}$  cm and  $m_e c^2 = 5,11 \times 10^5$  eV. Considering energy and momentum conservation laws, however, the maximum energy,  $T_m$ , that Compton scattering can transfer to the struck electron is

$$T_m = \frac{2E^2}{m_e c^2 + 2E_\gamma} \quad (4)$$

In the vicinity of a nucleus, gamma rays with energy greater than 1.022 MeV can undergo pair production yielding an electron-positron pair. In the process the nucleus recoils with negligible energy and the electron and positron share the remainder of the gamma energy not used in their creation [3]. The energy can be divided into any fraction between the two particles. However, since almost all gamma rays at nuclear reactors have energy less than 10 MeV and the constituent atoms of SiO<sub>2</sub> have relatively low atomic numbers, pair production is a low probability event and thus simplifying assumptions about the energy distribution of the electron-positron pair can be made without significantly effecting the model predictions. Therefore, it is assumed that the excess photon energy is divided equally between the two particles, so that for each change in the incident gamma energy the electron changes energy by one half ( $dE_\gamma/dT = 2$ ). Also it is assumed that positrons interact with SiO<sub>2</sub> just the same as electrons.

Gamma rays with energy above  $4m_e c^2$  (2,044 MeV) can also pair produce in the vicinity of an electron. Since this is an even lower probability event than nuclear field pair production, simplifying assumptions about the energy distribution among the recoil electron and the created electron-positron pair result in only a negligible overall error [4]. This study assumes that the excess energy is divided equally among the particles ( $dE_\gamma/dT = 3$ ). As in nuclear field pair production, positrons are assumed identical to electrons. The cross sections for pair production in both nuclear and electron fields are obtained from the national nuclear data center X-ray information database. The differential cross sections for producing electrons within  $dT$  of  $T$  by an incident photon of energy  $E_\gamma$  by nuclear and electron field pair production used in this study are

$$\frac{\partial \sigma^{ppn}(E_\gamma, T)}{\partial T} = 2 \frac{\partial \sigma^{ppn}(E_\gamma, T)}{\partial E_\gamma} = 4 \frac{d\sigma^{ppn}(E_\gamma)}{dE_\gamma} \left( E_\gamma - 1,022 \text{ MeV} \right) \quad (5)$$

and

$$\frac{\partial \sigma^{ppe}(E_\gamma, T)}{\partial T} = 3 \frac{\partial \sigma^{ppe}(E_\gamma, T)}{\partial E_\gamma} = 6 \frac{d\sigma^{ppe}(E_\gamma)}{dE_\gamma} \left( E_\gamma - 1,022 \text{ MeV} \right)$$

$$\frac{\partial \sigma^{ppe}(E_\gamma, T)}{\partial T} = 3 \frac{\partial \sigma^{ppe}(E_\gamma, T)}{\partial E_\gamma} = 9 \frac{\partial \sigma^{ppe}(E_\gamma)}{\partial E_\gamma} \left( \frac{E_\gamma - 2,044 \text{ MeV}}{3} \right) \quad (6)$$

where the superscript ppn and ppe denote nuclear and electron field pair production, respectively.

The factor of two in the nuclear field pair production differential cross section formula arises because both a positron (assumed identical to an electron) and an electron are produced in the reaction. Also the factor of three in the electron field pair production differential cross section formula arises because three energetic particles result from the interaction.  $\sigma^{ppn}(E_\gamma)$  and  $\sigma^{ppe}(E_\gamma)$  are the molecular pair production cross sections given respectively by

$$\sigma^{ppn}(E_\gamma) = \sigma^{ppn}(E_\gamma) + 2\sigma^{ppn}(E_\gamma) \quad (7)$$

$$\sigma^{ppe}(E_\gamma) = \sigma^{ppe}(E_\gamma) + 2\sigma^{ppe}(E_\gamma)$$

Combining the differential energy transfer cross sections with the gamma flux yields the energetic electron source energy spectrum for SiO<sub>2</sub> in a typical nuclear reactor environment,

$$\frac{d\beta(T)}{dT} = \int_0^{E_\gamma(\max)} \varphi_\gamma \frac{\partial \sigma(E_\gamma, T)}{\partial T} dE_\gamma \quad (8)$$

where

$$\frac{\partial \sigma(E_\gamma, T)}{\partial T} = \frac{\partial \sigma^c(E_\gamma, T)}{\partial T} + \frac{\partial \sigma^{pe}(E_\gamma, T)}{\partial T} + \frac{\partial \sigma^{ppe}(E_\gamma, T)}{\partial T} + \frac{\partial \sigma^{ppn}(E_\gamma, T)}{\partial T} \quad (9)$$

$\varphi_\gamma$  is the gamma flux and  $\beta(T)$  represents an electron of energy T.

The following definitions are necessary to formulate the equations for the damage energy and the net atomic displacement: (1)  $s_i(E)$  is the electronic stopping power per unit atomic density for type  $i$  particles; (2)  $f_j$  is the atomic fraction of type  $j$  atoms; (3)  $d\sigma_{ij}(E, T)/dT$  is the differential cross section for a type  $i$  particle of energy  $E$  to transfer energy  $T$  to a type  $j$  particle; (4)  $v_i(E)$  is the damage energy which will be deposited in a material by a type  $i$  particle of energy  $E$ ; (5)  $\rho_j(T)$  is the probability that an initially bound atom of type  $j$  when receiving energy  $T$  in a collision will be displaced; (6)  $\lambda_{ij}(E)$  is the probability that a type  $i$  atom left with energy  $E$  after displacing a type  $j$  atom will be trapped at the type  $j$  site; and (7)  $g_{ij}(E)$  is the average number of type  $j$  atoms displaced and not recaptured in subsequent replacement collisions in a displacement cascade initiated by a type  $i$  primary knock-on atom [5].

Coulter and Parkin's representation of Lindhard et al.'s polyatomic damage energy function is given by

$$s_i(E) \frac{dV(E)}{dE} = \sum_{j=1}^m f_j \int_0^{\alpha_{ij}E} \frac{d\sigma_{ij}(E, T)}{dT} \{ v_i(E-T) - v_i(E) + v_j(T) \} dT \quad (10)$$

Also, Parkin and Coulter's net atomic displacement function is

$$g_i(E) = \sum_{k=1}^m f_k \int_0^{\alpha_{ik}E} \frac{d\sigma_{ik}(E, T)}{dT} \{ [1 - \rho_j(T)\lambda_{ij}(E-T)]g_k(E-T) - g_k(E) + \rho_j(T)g_k(T) \} dT \quad (11)$$

Before the integral equations describing charged particle radiation damage in solids can be solved, the charged particle interaction parameters need to be obtained. This includes the electronic stopping power, nuclear energy transfer cross section, and the atomic displacement and capture probabilities.

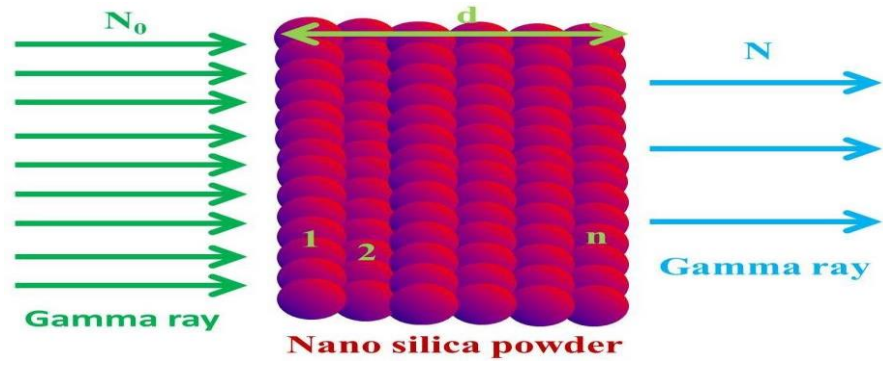
Although general notation has been used for the displacement probability,  $\rho_j(T)$ , and the capture probability,  $\lambda_{ij}(E)$ , the detailed data about the interatomic potentials of SiO<sub>2</sub> glass required to implement the scheme are not available. Instead simple sharp threshold forms were used in all calculations.

$$\rho_j(T) = \begin{cases} 0 & \text{for } \dots T < E_k^d \\ 1 & \text{for } \dots T \geq E_k^d \end{cases}$$

$$\lambda_{ij}(E) = \begin{cases} 0 & \text{for } \dots E > E_{ik}^{cap} \\ 1 & \text{for } \dots E \leq E_{ik}^{cap} \end{cases} \quad (12)$$

where  $E_k^d$  is the average kinetic energy required to displace a type k atom, and  $E_{ik}^{cap}$  is the average maximum residual energy that a type i atom, which has just displaced a type k atom, can have and be trapped in the type k site. The size of these energies can be estimated using an argument due to Seitz. Seitz's estimate for the displacement threshold is 2-2,5 times the average bonding energy. The Si-O bonds are about 4,5 eV. Since SiO<sub>2</sub> is tetrahedrally bonded this yields estimated displacement thresholds of 20 eV for oxygen atoms and 40 eV for silicon atoms. The like atom capture energy is simply the displacement energy ( $E_{ii}^{cap} = E_i^d$ ). Since silica has about 50% ionic bonding character, the capture probability for unlike atoms is nearly zero.

Calculations. An expression can be derived which gives the number,  $N$ , of gamma rays that will pass through an absorber without interacting, as a function of the absorber nanomaterial size and the incident number of gamma rays. Consider a number,  $N_0$ , of gamma rays incident on an absorber of "selected thickness"  $d$ . Suppose the absorber include n particle on "selected thickness" and per nanoparticle size diameter equal to  $\Delta d$  (see Figure 1).

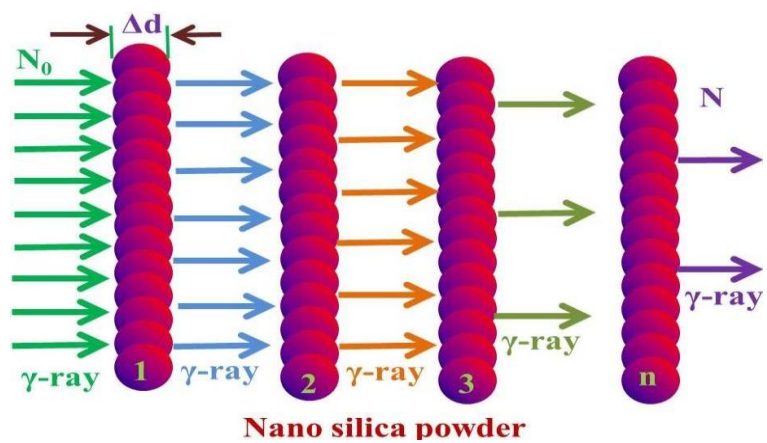


**Figure 1.**

Since gamma ray absorption is a random process, it is reasonable to expect that the change in the number of gamma rays,  $\Delta N$ , due to absorption in a section of the absorber, is proportional to the number of gamma rays incident on the absorber section (per particle) and the absorber section “selected thickness”:

$$\Delta N \propto N \Delta d \tag{13}$$

That is, the likelihood of a gamma ray interacting increases as the silica nanoparticle of the absorber “selected thickness” increases, and increasing the number of incident gamma rays increases the number that will be absorbed. To make equation (13) an equality, define  $\mu$ , the absorption coefficient, as



**Figure 2.**

The relative change in the number of gamma rays, due to absorption, is

$$\frac{\Delta N}{N} = -\mu \Delta d \tag{15}$$

Consider the absorber to be separated SiO<sub>2</sub> nanoparticle. The number of gamma rays remaining after each silica nanoparticle of the absorber is traversed is given by;

$$N = N_0 \left( 1 - \frac{\Delta N}{N} \right) = N_0 (1 - \mu \Delta d)$$

$$N_1 = N_0 \left( 1 - \frac{\Delta N}{N} \right)$$

$$N_2 = N_1 \left( 1 - \frac{\Delta N}{N} \right) = N_0 (1 - \mu \Delta d)^2$$

$$N_n = N_0 (1 - \mu \Delta d)^n$$

And  $N_n$  is the number remaining after passing through the complete absorber.

Now recall that  $\Delta d = d/n$ .

$$N_n = N_0 \left( 1 - \frac{\mu d}{n} \right)^n \tag{17}$$

Note that the above analysis assumes that the number of gamma rays changes linearly over the width of each absorber SiO<sub>2</sub> nanoparticle. For example: for N<sub>1</sub> we can write

$$N_1 = N_0 - N_0 \mu \Delta d = c_1 + c_2 \Delta d \quad (c_1 \text{ and } c_2 \text{ constant})$$

However, the proper expression is  $N_1 = N_0 - N' \mu \Delta d$ , where  $N'$  decreases continuously as the gamma rays pass through the absorber silica nanoparticle. This problem can be overcome by taking smaller and smaller nanoparticle. Therefore, from equation (17):

$$N = \lim_{n \rightarrow \infty} N_n$$

$$= \lim_{n \rightarrow \infty} N \left( 1 - \frac{\mu d}{n} \right)^n = N e^{-\mu d}$$

where  $N_0$  is the incident number of gamma rays, and  $N$  is the number transmitted through the absorber of “selected thickness”  $d$ . The above result can be obtained directly from equation (15) by integration:

$$\frac{\Delta N}{N} = -\mu \Delta d$$

$N$

$$\lim_{\Delta d \rightarrow 0} \text{implies } \frac{dN}{N} = -\mu \partial d$$

$$\Delta d \rightarrow 0 \quad N$$

$$\frac{dN}{N} = -\mu \int_0^d dx$$

$$\therefore \int_0^d \dots$$

$$N_0 \ln N - \ln N_0 = -\mu d$$

$$N = N_0 e^{-\mu d}$$

That is, the number of gamma rays remaining decreases exponentially as the absorber thickness is increased. Although the desired result follows rather easily by integrating equation (15), such is not always the case. In this instance, equation (15) can be written as

$$\frac{\partial N}{\partial d} = -\mu N$$

which is an easily solved differential equation. However, for some types of problems, the differential equation may be quite complicated. In that case, it is useful to use an iterative type of solution as was done initially. Also, note that the iterative calculation lends itself rather nicely to computer programming.

Finally, we can make some changes on equation (18) for explanation how the gamma rays absorb on the SiO<sub>2</sub> nanopowder surface same figure 1. Thus, from equation (18) we can write as follows:

$$N = N_0 e^{-\frac{\mu}{\rho} \rho \Delta d} \tag{19}$$

where,  $\rho$  – material density (g/cm<sup>3</sup>) and  $\frac{\mu}{\rho} = S$  - Mass Attenuation Coefficient or Specific Surface Area of nanopowder (MAC or SSA), (cm<sup>2</sup>/g).

For absorbing gamma rays in each layer of nanosilica powder as shown in the figure-2 can be written following way according to the equation (16):

$$N_1 = N_0(1 - S\rho\Delta d)$$

$$N_2 = N_0(1 - S\rho\Delta d)^2 \tag{20}$$

If we take an account the density of the sample  $0,9\text{g/cm}^3$ , the specific surface area  $160\text{m}^2/\text{g}$  and the sizes of nanoparticles  $20\text{nm}$ , then we can calculate the absorption of gamma rays for each layer:

$$N_1 = N_0 (1 - 160 \times 0,9 \times 20 \times 10^{-9}) = N_0 (0,99999712)$$

for n layer

$$N_1 = N_0 (0,99999712)^n$$

If we assume that the number of photons falling to the surface is 20000, then the absorbed gamma rays in the  $\text{SiO}_2$  nanopowder we can calculate as follows:

$$N_{\text{absorb}} = N_2 - N_1 = 0,0576$$

The absorbed doses on the  $\text{SiO}_2$  nanopowder in the thickness of  $1\mu\text{m}$  and  $1\text{mm}$  respectively, can be calculated as follows:

$$N_{\mu\text{m}} = 20000 - N_{\mu\text{m}}(0,99999712)^{50} =$$

$$2,879796797 \quad N_{\text{mm}} = 20000 -$$

$$N_{\text{mm}}(0,99999712)^{50000} = 2682,24863$$

If the system gets 20000 photons; 0,0576 photons absorb in  $20\text{nm}$  thickness (this is same silica nanopowder diameter), 2,879796797 photons in  $1\mu\text{m}$  thickness and 2682,24863 photons in  $1\text{mm}$  thickness. Taking into account that, the number of photons  $N$  directly related to gamma ray intensity  $I$  or dose  $D$ . Then we can lead assumptions similar calculations for intensity and radiation dose.

Radiation damages in covalent bonding materials (semiconductors and insulators) have been investigated for their useful application in fission and fusion reactors. Irradiation of energetic ions, electrons, neutrons and photons (X-rays and  $\gamma$ -rays) induces electron excitation and atomic displacement. In these materials, the electron excitation in radiation field plays an important role on degradation of optical and electric properties of those materials [6-7].

Results. Calculations revealed that absorption of gamma rays was observed not only on the surface, but also inside of  $\text{SiO}_2$  nanopowder, because radiation effects of selected nano-particles more than the macro-particles. We have theoretically investigated gamma rays absorption on the nanosilica surface. If the system gets 20000 photons; 0,0576 photons absorb in  $20\text{nm}$  thickness

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